

## Programming the Quadratic Formula into the TI-83+

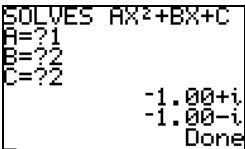
For those times when a numeric approximation to the solution of a quadratic equation will suffice, using a programmable calculator to automatically compute and simplify the quadratic formula is rather convenient. Since we shall expand upon the programmable features of the TI-83+ throughout the course this is a good starting point.

↵ = **ENTER**

COMMAND	COMMENTS
Press <b>PRGM</b>	Brings up the Program Menu: EXEC EDIT NEW
Select NEW ↵	Use EDIT to edit an existing program
Name=QF ↵	Names the program QF. Other names will also suffice.
:ClrHome ↵	<b>PRGM</b> → I/O → 8. Clears the home screen.
:a+bi ↵	<b>MODE</b> → a+bi. Sets the TI-83+ to Complex mode.
:Disp "SOLVES" ↵	<b>PRGM</b> → I/O → 3. Screen message.
:Disp "Ax <sup>2</sup> + Bx + C = 0" ↵	<b>PRGM</b> → I/O → 3. Screen message. Use <b>2<sup>nd</sup></b> <b>TEST</b> for '='
:Prompt A,B,C ↵	<b>PRGM</b> → I/O → 2. Will prompt the user for A, B and C
:(-B+√(B <sup>2</sup> -4AC))/(2A)▶P ↵	Calculates the first root and stores it in P. ▶= <b>STO▶</b>
:Disp P ↵	<b>PRGM</b> → I/O → 3. Displays the first root.
:(-B-√(B <sup>2</sup> -4AC))/(2A)▶Q ↵	Calculates the second root and stores it in Q. ▶= <b>STO▶</b>
:Disp Q ↵	<b>PRGM</b> → I/O → 3. Displays the second root.
:Real ↵	<b>MODE</b> → Real. Resets the TI-83+ to Real mode.

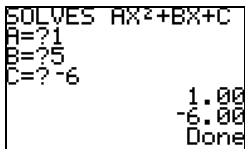
Now let's run the program. Use PGRM → EXEC → Select Program ↵. Note: For these examples the MODE was preset to 2 decimal accuracy.

**Example 1** Solve  $x^2 + 2x + 2 = 0$

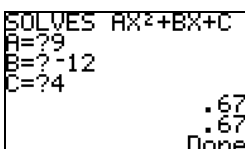
<p>We identify A = 1, B = 2 and C = 2.</p> <p>PGRM → EXEC → QF ↵</p>		<p>actual solutions</p> <p><math>x = -1 \pm \sqrt{-1}</math></p>
--	--	--

Note: Pressing **ENTER** at the conclusion of a program will rerun a fresh version of the program.

**Example 2** Solve  $x^2 + 5x = 6$

<p>Rewrite in Standard Form: <math>x^2 + 5x - 6 = 0</math></p> <p>We identify A = 1, B = 5 and C = -6.</p> <p>PGRM → EXEC → QF ↵</p>		<p>actual solutions</p> <p><math>x = 1 \text{ or } -6</math></p>
--	--	--

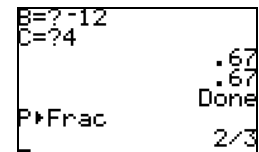
**Example 3** (one double root): Solve  $9x^2 - 12x + 4$

<p>We identify A = 9, B = -12 and C = 4.</p> <p>PGRM → EXEC → QF ↵</p>		<p>actual solutions</p> <p><math>x = 2/3</math></p>
--	--	---

**Example 3a**

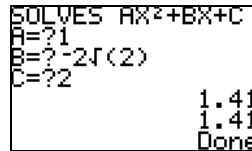
We can use the built in fraction feature of the TI 83+ to convert solutions to a rational number (if possible). Since the answers remain in P and Q for later use we can try to convert them to a fraction.

MATH → ►Frac ↵ ↵

**Example 4** (a tricky one): Solve  $x^2 - 2x\sqrt{2} + 2 = 0$ 

We identify  $A = 1$ ,  $B = -2\sqrt{2}$  and  $C = 2$ .

PGRM → EXEC → QF ↵



Note: These solutions are irrational and cannot be converted to rationals.

actual solution  $x = \sqrt{2}$

Now solve these problems. Write down rational solutions where appropriate. Be sure to work some by hand.

1)  $x^2 + 11 = 6x$

2)  $6(2x^2 + 1) = 17x$

3)  $9x^2 + 1 = 5x$

4)  $5x(5x - 14) = -7^2$

5)  $3x^2 + 1 = 4x$

6)  $2(x^2 + 2) = -1$

7)  $4(x + 1)^2 - 4(x + 1) = 3$

8)  $3x^2 + 2 = (5x - 4)^2 - 5(x - 3)$

9)  $4x^2 + 1 = \frac{29x + 1}{7}$

10)  $(t^2 - 5t)^2 + 2(t^2 - 5t) - 24 = 0$

Hint: Let  $t^2 - 5t = x$ .